## A Level AQA Physics

## 1 Measurements and errors - answers

| Question | Answers | Extra information | Marks | AO | Spec reference |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 01.1 | $\begin{aligned} & v=2.54 \\ & v^{2}=6.43 \text { (If rounded data used, may have } 6.45 \text { ) } \end{aligned}$ | Must be to same number of sig figs as table | 2 | 2 | 3.4.1.3 |
| 01.2 | Point plotted to within nearest half grid square Line of best fit drawn - with intercept |  | $\begin{aligned} & 1 \\ & 1 \end{aligned}$ | 2 | MS 3.2 |
| 01.3 | Systematic <br> Error in measuring height $s$ - needs to be middle of card to middle of light gate/s; measured too short |  | $\begin{aligned} & 1 \\ & 1 \end{aligned}$ | 3 | 3.1.2 |
| 01.4 | Triangle drawn on graph or use of coordinates demonstrated Value for gradient $=17 \pm 0.4$ | Not simply using values from table - must be from graph | $\begin{aligned} & 1 \\ & 1 \end{aligned}$ | 2 | MS 3.4 |
| 01.5 | $\begin{aligned} & v^{2}=u^{2}+2 a s \text { and } u=0 \\ & v^{2}=2 a s \\ & \text { Gradient }=2 a \text { or } 2 g \\ & g=\frac{17}{2}=8.5\left(\mathrm{~m} \mathrm{~s}^{-2}\right) \end{aligned}$ | Range of values 8.7 to 8.3 from gradient | $1$ <br> 1 1 | 2 | 3.3.1.3 |
| 01.6 | $\begin{aligned} & \% \text { difference }=\frac{\text { result }- \text { actual }}{\text { actual }} \times 100 \% \\ & \% \text { difference }=\frac{1.31}{9.81} \times 100 \%=13 \% \end{aligned}$ | ignore minus sign | 1 | 2 | 3.1.2 |
| 02.1 | Max three from: <br> - draw round the semi-circular block and mark a point in the centre of the straight edge (measured with ruler) <br> - use a protractor to mark the normal (line perpendicular) from this point <br> - dark lines $5^{\circ}$ apart from the normal to $35^{\circ}$ (at least 6 suggested) - each entering the glass at $45^{\circ}$ <br> - use fine ray of light or laser as source <br> - point along the drawn pathways mark a point to trace the path of the outgoing ray. |  | $\max 3$ | 2 | Atj |

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| 02.2 | Large triangle seen or coordinates used shown $\frac{0.7-0.06}{0.5-0}=1.3$ | triangle is at least half the graph Accept 1.28 | $\begin{aligned} & 1 \\ & 1 \end{aligned}$ | 2 | 3.3.2.3 |
| 02.3 | Line of worst fit drawn (could be max or min) Gradient of $\max =\frac{0.9-0.0}{0.64-0.02}=1.5$ Absolute uncertainty $=1.5-1.3=0.2$ Gradient of $\min =\frac{0.88-0.1}{0.66-0.00}=1.2$ $1.3-1.2=0.1$ | Full 3 marks for steepest as that is line of worst fit <br> Min line gains 2 marks | $\begin{aligned} & 1 \\ & 1 \\ & 1 \end{aligned}$ | 2 | 3.1.2 |
| 02.4 | Experimental value $=1.3 \pm 0.2$, therefore value does lie within experimental uncertainty | Answer consistent with their results - so if they drew min line of best fit, value does not lie in experimental uncertainty | 1 | 1 | 3.1.2 |
| 03.1 | Temperature: <br> - place whole apparatus in water bath making sure trapped air completely submerged <br> - stir regularly to make sure temperature even <br> - leave time at each temperature to ensure air at same temperature as water bath <br> - use thermometer/digital thermometer to record temperature. <br> Volume: <br> - attach apparatus to a ruler <br> - read length of trapped air - make sure eye level with meniscus when reading <br> - do not remove from water bath when reading measurement. | Must have at least one statement from volume and one from temperature for full marks | $\max 4$ | 2 | 3.1.2 |
| 03.2 | Max two from: <br> - lowest temperature possible <br> - minimum internal energy (allow zero kinetic energy) <br> - $-273^{\circ} \mathrm{C}$ <br> - pressure of a gas at this temperature is zero. |  | $\max 2$ | 1 | 3.6.2.2 |

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| 03.3 | $\begin{aligned} & \text { Intercept }=3 \\ & \text { Gradient }=\frac{3.9-3.0}{80}=0.011 \\ & \text { Use of } y=m x+c \text { when } y=0 \\ & 0 \end{aligned}=0.011 x+3 \text { ( } \begin{aligned} & \\ & x=-270(272) \end{aligned}$ |  | $\begin{aligned} & 1 \\ & 1 \\ & 1 \\ & 1 \end{aligned}$ | 2 | $\begin{gathered} \text { M3.3 and } 3.4 \\ 3.6 .2 .2 \end{gathered}$ |
| 03.4 | This value is much lower than earlier value <br> This will be because the air was warmer than the surrounding water as the water cooled too quickly/temperature lag <br> This would give a larger intercept and shallower gradient making result too low |  | $\begin{aligned} & 1 \\ & 1 \\ & 1 \end{aligned}$ | 3 | 3.1.2 |
| 04.1 | Using a micrometer/Vernier callipers <br> Take the diameter along the length in several places and find mean | Idea of several readings along length important for second mark | $\begin{aligned} & 1 \\ & 1 \end{aligned}$ | 2 | 3.1.2 |
| 04.2 | $\begin{aligned} & A=\pi r^{2}=\pi \times\left(0.11 \times 10^{-3}\right)^{2}=3.8-10^{-8} \mathrm{~m}^{2} \\ & \text { Use of } \rho=\frac{R A}{l}=\frac{7.0 \Omega \times 3.8 \times 10^{-8}}{0.50}=5.3 \times 10^{-7} \\ & \Omega \mathrm{~m} \end{aligned}$ |  | $\begin{aligned} & 1 \\ & 1 \\ & 1 \end{aligned}$ | 2 | 3.5.1.3 |
| 04.3 | $\begin{aligned} & \% \text { length }=\frac{0.001}{0.500} \times 100 \%=0.2 \% \\ & \% \text { diameter }=\frac{0.01}{0.22} \times 100 \%=4.5 \% \\ & \% R=\frac{0.4}{7.0} \times 100 \%=5.7 \% \end{aligned}$ <br> $\%$ uncertainty $=0.2+(2 \times 4.5)+5.7=15 \%$ | 1 mark for calculating any one percentage uncertainty correctly | 1 <br> 1 | 2 | 3.1.2 |

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| :---: | :---: | :---: | :---: | :---: | :---: |
| 04.4 | Any sensible suggestion for graph and how $\rho$ calculated: <br> - plot $R$ against length, and gradient $=\frac{\rho}{A}$ <br> - plot $R A$ against length, and gradient $=\rho$ <br> Why more accurate: <br> - allows you to identify anomalies <br> - systematic errors in measuring length/or resistance of connecting wires will not affect final answer. | Must have explained graph and suggested why more accurate for full marks | $\max 3$ | 3 | $\begin{gathered} \text { 3.5.1.3 } \\ 3.1 .2 \end{gathered}$ |
| 05.1 | Depth: <br> - using a ruler with no zero error/marking levels on side of tray before experiment begins <br> - ensure ruler is read at eye level. <br> Speed: <br> - using a stopwatch <br> - measure the time for wave to travel at least three lengths of tray/or some consideration of increased distance/increased time to reduce uncertainty caused by human reaction time. | Allow any acceptable method for accurate measurements | 1 <br> 1 $\begin{aligned} & 1 \\ & 1 \end{aligned}$ | 3 | PS1.2 |
| 05.2 | Any sensible suggestion of graph, what to expect and how to confirm: $v$ against $\sqrt{h}$ <br> should be straight-line graph through the origin <br> gradient $=\sqrt{g}$ <br> or <br> $v^{2}$ against $h$ <br> should be straight-line graph through the origin <br> gradient $=g$ |  | $\begin{aligned} & 1 \\ & 1 \\ & 1 \end{aligned}$ | 3 | $\begin{gathered} \text { 3.1.2 } \\ \text { MS3.3 } \end{gathered}$ |
| 05.3 | Students would have to confirm by using a different set of apparatus; or see if another student found the same relationship repeating the experiment |  | 1 | 1 | 3.1.2 |

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| :---: | :---: | :---: | :---: | :---: | :---: |
| 06.1 | Sensible guess at rooms dimensions, such as: $3 \mathrm{~m} \times 10 \mathrm{~m} \times 15=450 \mathrm{~m}^{3}$ <br> Use of mass $=\rho V$ $\text { mass }=1.2 \times 450=540 \mathrm{~kg}$ | Allow any sensible proposal here | 1 <br> 1 | 3 | 3.1.3 |
| 06.2 | $80 \times 28=2240 \mathrm{~J} \mathrm{~s}^{-1}$ |  | 1 | 2 | 3.4.1.7 |
| 06.3 | $\begin{aligned} & E=2240 \times 20 \times 60=2688000 \mathrm{~J} \\ & E=m c \Delta \theta \\ & \Delta \theta=\frac{E}{m c}=5^{\circ} \mathrm{C} \end{aligned}$ | Answers will vary based on mass calculations | 1 <br> 1 | 2 | 3.6.2.1 |
| 06.4 | No <br> As temperature in room rises, thermal energy will be transferred from the room Or rate of energy transfer dependent on temperature outside/temperature difference/insulation/of walls/windows doors | Sensible answer backed by logical reasoning | $\begin{aligned} & 1 \\ & 1 \end{aligned}$ | 3 | 3.6.2.1 |
| 07.1 | Labelled diagram of apparatus - may be marks available here for method depending on detail <br> - method for small amplitudes - for example, protractor (less than $10^{\circ}$ ) or method of measuring start height accurately each time <br> - timing multiple oscillations to reduce uncertainty from reaction time using stopwatch <br> - fiducial marker at centre point for timing <br> - measuring length from top to middle of bob with metre ruler <br> - lengths chosen so $T$ longer <br> - evidence that clamp stand is clamped to the desk for safety - or bag under bob in case it falls. | 1 mark for diagram, 3 further marks for detail on method and accuracy | $\max 4$ | 2 | $\begin{gathered} \text { Atb and d } \\ \text { PS2.1 } \\ \text { PS4.1 } \end{gathered}$ |
| 07.2 | In first column 2 becomes 2.00 Add units s² for third column Values correct in third column: 8.12, 7.67, 7.40, 7.13, 6.60 |  | $\begin{aligned} & 1 \\ & 1 \\ & 1 \end{aligned}$ | 2 | PS2.2 |

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| :---: | :---: | :---: | :---: | :---: | :---: |
| 07.3 | Points plotted correctly within $1 / 2$ square Line of best fit drawn Gradient calculated $=4.0 \pm 0.2$ |  | $\begin{aligned} & 1 \\ & 1 \\ & 1 \end{aligned}$ | 2 | MS 3.2 |
| 07.4 | $\begin{aligned} & T=2 \pi \sqrt{\frac{l}{g}} \text { so } T^{2}=4 \pi^{2} \frac{l}{g} \\ & \text { Gradient }=\frac{4 \pi^{2}}{g} \\ & g=9.9 \mathrm{~m} \mathrm{~s}^{-2} \end{aligned}$ |  | $1$ <br> 1 | 2 | 3.6.1.3 |
| 07.5 | The data is precise because the points are close to the line of best fit The data is accurate because the value of $g$ is within $1 \%$ of the actual value | For second mark there should be justification of accuracy | $\begin{aligned} & 1 \\ & 1 \end{aligned}$ | 1 | 3.1.2 |
| 08.1 | $\begin{aligned} & \text { Use of } Q=I t \text { or } W=V Q \\ & W=F d=\operatorname{mad} \text { (or other energy equation) } \\ & V=\frac{W}{Q}=\frac{W}{I t} \\ & V=\frac{m a d}{i t}=\frac{\mathrm{kg} \mathrm{~s} \mathrm{~s}^{-2} \mathrm{~m}}{\mathrm{As}}=\mathrm{kg} \mathrm{~m}^{2} \mathrm{~A}^{-1} \mathrm{~s}^{-3} \end{aligned}$ | Must be able to see cancelling and evidence of equations (can be entirely in units) | 1 <br> 1 <br> 1 | 3 | 3.1.1 |
| 08.2 | Simple circuit with one cell, variable resistor and ammeter in series, and voltmeter in parallel with variable resistor or cell | Mark for correct symbols and mark for correct arrangement | $\begin{aligned} & 1 \\ & 1 \end{aligned}$ | 1 | 3.5.1.6 |
| 08.3 | E.m.f. is $y$-intercept $-1.51 \pm 0.05 \mathrm{~V}$ Internal resistance is the gradient $0.41 \pm 0.2 \Omega$ |  | $\begin{aligned} & 1 \\ & 1 \end{aligned}$ | 2 | 3.5.1.6 |
| 08.4 | The actual e.m.f. is lower - or stated value 1.41 - consistent with results Internal resistance will be the same because all points are shifted by same amount | For all 3 marks students must have explained answers | $\begin{aligned} & 1 \\ & 1 \\ & 1 \end{aligned}$ | 3 | 3.1.2 |

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## Skills box answers

| Question | Answer |
| :---: | :---: |
| 1(a) | $\frac{0.1}{6.7} \times 100 \%=1.49 \%$ |
| 1(b) | $\frac{10}{450} \times 100 \%=2.22 \%$ |
| 1(c) | $\frac{1000}{366000} \times 100 \%=0.27 \%$ |
| 2(a) | $\begin{aligned} & 3.43 \times 6.5 \%=3.43 \times 0.065=0.22 \\ & =3.43 \mathrm{~W} \pm 0.22 \mathrm{~W} \end{aligned}$ |
| 2(b) | $\begin{aligned} & 10 \times 10 \%=10 \times 0.1=1 \\ & =10 \mathrm{k} \Omega \pm 1 \mathrm{k} \Omega \end{aligned}$ |
| 2(c) | $\begin{aligned} & 12742 \times 0.3 \%=12742 \times 0.003=38.2 \\ & =12742 \mathrm{~km} \pm 38.2 \mathrm{~km} \end{aligned}$ |
| 3(a) | volume of cube $=\left(25.0 \times 10^{-3} \mathrm{~m}\right)^{3}=1.56 \times 10^{-5} \mathrm{~m}^{3}$ <br> Calculate the percentage uncertainty in each measurement first: <br> $\left(\frac{0.2 \times 10^{-3}}{25.0 \times 10^{-3}}\right) \times 100 \%=0.8 \%$. Then add the percentage uncertainties for all three measurements, which is $2.4 \%$. <br> So absolute uncertainty $=2.4 \%$ of $1.56 \times 10^{-5} \mathrm{~m}^{3}=4 \times 10^{-7} \mathrm{~m}^{3}$. <br> Note: standard form integers must be between $\geq 1$ or $<10$, so the power of the absolute uncertainty value has changed in this answer. Remember to always check powers when using standard form. |
| 3(b) | $\text { density }=\frac{\text { mass }}{\text { volume }}=\frac{42.19 \times 10^{-3} \mathrm{~kg}}{1.56 \times 10^{-5} \mathrm{~m}^{3}}=2700 \mathrm{~kg} \mathrm{~m}^{-3}$ <br> To calculate uncertainty in density you need to add the percentage uncertainties in volume and mass. <br> $\%$ uc mass $=\left(\frac{0.01}{42.19}\right) \times 100 \%=0.024 \%$ <br> Adding the \% uc $=(0.024+2.4) \%=2.4 \%$ <br> Absolute uncertainty $=$ absolute value $\times \%$ uc $=64.8 \mathrm{~kg} \mathrm{~m}^{-3}$ <br> The density of aluminium $=2700 \mathrm{~kg} \mathrm{~m}^{-3} \pm 65 \mathrm{~kg} \mathrm{~m}^{-3}$. |

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